

# **Reliability and Availability Engineering: Modeling, Analysis, Applications**

## **Errata Corrige**

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**Errata Corrige, Page 118** - The second part of Equation 4.30 with two i.i.d. components with distribution  $\text{EXP}(\lambda)$ , is not correct. The correct formula is:

$$R_p(t) = 2e^{-\lambda t} - e^{-2\lambda t},$$

$$\text{MTTF} = \frac{3}{2\lambda}.$$

**Errata Corrige, Page 123** - The formula for  $R_{\text{sys}}(t)$  in Example 4.14 is not correct. The correct formula is:

$$R_{\text{sys}}(t) = 1 - (1 - R_i(t))^3$$

**Errata Corrige , Page 142 - Example 4.27** Consider the non-series-parallel system of Figure 4.25. We condition on component 2 and apply Eq. (4.63).. The term  $P\{S|X_2\}$  is the probability of the system functioning given that component 2 is functioning. Observe that under the assumption that component 2 is functioning the system is equivalent to the parallel composition of components 4 and 5. Therefore, using Eq. (4.24) we get

$$P\{S|X_2\} = 1 - (1 - R_4(t))(1 - R_5(t)) = R_4(t) + R_5(t) - R_4(t)R_5(t). \quad (4.64)$$

To compute  $P\{S|\bar{X}_2\}$ , observe that given that component 2 is down the system is equivalent to the series of components 1 and 4 in parallel with the series of components 3 and 5. Thence:

$$\begin{aligned} P\{S|\bar{X}_2\} &= 1 - (1 - R_1(t)R_4(t))(1 - R_3(t)R_5(t)) \\ &= R_1(t)R_4(t) + R_3(t)R_5(t) - R_1(t)R_3(t)R_4(t)R_5(t). \end{aligned} \quad (4.65)$$

Combining Eqs. 4.64 and 4.65, we have

$$\begin{aligned} R_S(t) &= [R_4(t) + R_5(t) - R_4(t)R_5(t)]R_2(t) + [R_1(t)R_4(t) + R_3(t)R_5(t) \\ &\quad - R_1(t)R_3(t)R_4(t)R_5(t)](1 - R_2(t)). \end{aligned}$$

**Errata Corrige, Page 143: Problem 4.18** - The correct formulation is:

For the non-series-parallel system of Figure 4.25, derive expressions for the reliability importance of all the five components. Next, assume that the time to failure of component  $i$  is Weibull distributed with scale parameter  $h_i$  and common shape parameter  $b$ . Write down an expression for the system MTTF.

**Errata Corrige, Page 145** - The formula of the reliability for Case 1 is

Case 1,  $k < n_2$ :

$$R_{\text{Case 1}} = 1 - \sum_{i=0}^{k-1} \sum_{j=0}^{k-1-i} \binom{n_1}{i} R_1^i (1-R_1)^{n_1-i} \binom{n_2}{j} R_2^j (1-R_2)^{n_2-j}.$$

**Errata Corrige, Page 293** - The conditional distribution of  $Y$  given  $X = 0$  is  $\text{EXP}((4 + \alpha)\lambda)$ . Thus the correct conditional LST in the second line of Eq. (8.5) is:

$$\mathcal{L}_{Y|X}(s|X=0) = \frac{(4 + \alpha)\lambda}{s + (4 + \alpha)\lambda}.$$

The LST in Eq. (8.6) needs to be corrected accordingly, and using the theorem of total probability, the first line of Eq. (8.6) becomes:

$$\mathcal{L}_Y(s) = \frac{4c + \alpha}{4 + \alpha} \frac{(4 + \alpha)\lambda}{s + (4 + \alpha)\lambda} \frac{4\lambda}{s + 4\lambda} + \frac{4(1-c)}{4 + \alpha} \frac{(4 + \alpha)\lambda}{s + (4 + \alpha)\lambda}.$$

**Errata Corrige, Page 365: Section 10.1.1** - The correct expression for the probability  $\pi_j(t)$  at time  $t$  is:

$$\pi_j(t) = \pi_j(0)e^{q_{jj}t} + \int_0^t \sum_{k, k \neq j} \pi_k(x) q_{kj} e^{q_{jj}(t-x)} dx.$$

**Errata Corrige, Page 381: Expression (10.62)** - The correct expression (10.62) is:

$$E[T_a^i] = (-1)^i \frac{d^i f_a^*(s)}{d s^i} \Big|_{s=0} = (-1)^i i! \boldsymbol{\pi}_u(0) (\mathbf{Q}_u)^{-i} \mathbf{e}^T.$$

**Errata Corrige, Page 404: Initial probability vector of Case 3** - The initial probability vector reported in the book for *Case 3* of Example 10.27, is not correct. The correct initial probability vector is given below.

$$\begin{aligned} \pi_1(0) &= c_e^2 c_d, \\ \pi_2(0) &= 2(1 - c_e) c_e c_d, \\ \pi_3(0) &= c_e^2 (1 - c_d), \\ \pi_4(0) &= c_d (1 - c_e)^2, \\ \pi_5(0) &= 2c_e (1 - c_e) (1 - c_d), \\ \pi_6(0) &= (1 - c_e)^2 (1 - c_d). \end{aligned}$$

Verify that  $\sum_{i=0}^6 \pi_i(0) = 1$

**Errata Corrige, Page 635: Table 17.1** The correct Table 17.1 is reported below.

**Table 17.1** Nearly independent approximation for shared repair with travel time

Subsys.	Up state $A_{\text{Sys}}$	Repair state $q$	Updated repair rate $\mu'$	Indep. repair availability $A_{\text{indep. repair}}$	Shared repair availability $A_{\text{shared repair}}$
P	$\pi_{11} + \pi_{01} + \pi_{10}$	$\pi_{0t}$	$\mu_P$	0.997 7773	0.997 7784
V	$\pi_2 + \pi_{1u} + \pi_{1t}$	$\pi_{1t} + \pi_{0t}$	$\mu_V(1 - Q_P)$	0.999 7989	0.999 7989
S	$\pi_3 + \pi_{2u} + \pi_{2t}$	$\pi_{2t} + \pi_{1t} + \pi_{0t}$	$\mu_S(1 - Q_P)$ $(1 - Q_V)$	0.999 9799	0.999 9798
L	$\pi_{2u} + \pi_{1u} + \pi_{1t}$	$\pi_{1t} + \pi_{0t}$	$\mu_L(1 - Q_P)$ $(1 - Q_V)(1 - Q_S)$	0.999 6976	0.999 6967