

**Causality, Measurement Theory and  
the Differentiable Structure of Space-Time**  
by **R N Sen**  
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**Errata**

page	line or entry	change	to
109	last line of text	2005	2002
111	line 1 of Sec. 7.1.2	$\mathbf{N}$	$\mathbb{N}$
112	right-hand side of Eq (7.3)	$p_i^2$	$p_i$
112	line just above Eq (7.5)	$S$	$\{u_i\}$
126	line 3 after Eq (7.41)	$\tilde{g}$	$\tilde{G}$
126	penultimate line before Sec 7.4.1.3	group exponent	factor system
151–153		<i>See note at the end of the Errata</i>	
153	line 3 after Eq (8.25)	$\{\psi_m^{\mathbf{I}}\}$	$\{\psi_k^{\mathbf{I}}\}$
		$\{\psi_m^{\mathbf{II}}\}$	$\{\psi_k^{\mathbf{II}}\}$
178	First unnumbered equation	$Vu_j \otimes \zeta)$	$V(u_j \otimes \zeta)$
202	Footnote 7	Davis	Davies
234	line 12	than	that
372	Davis, E B	Davis	Davies
376	Reeh, H (1988)	1535-2536	1535-1536
376	Reeh, R and Schlieder, S	Reeh, R	Reeh, H
378	von Neumann, J (1930)	(1930)	(1931)

**Note:** On page 151, the eigenvalues  $\lambda_k$  of  $\rho_+^I$  are defined to be *distinct*;  $\lambda_i \neq \lambda_k$  for  $i \neq k$ . These eigenvalues may be degenerate. However, in subsection 6. Reduction of the matrix  $F$  (pp 151–153) the same symbol is used to denote an arbitrary eigenvalue of  $\rho_+^I$ ; it is implicit that the condition  $\lambda_i \neq \lambda_k$  for  $i \neq k$  has been dropped. This fact should have been made explicit, to avoid any possibility of confusion. The error is regretted.